# The Dynamics of Listening: <br> Time Series Regression of Bodily Responses with Performance Features 

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## Introduction

In considering the effect of music on the emotional experiences of listeners, two methodological obstacles have impeded progress in emotion research for decades: 1) the ability to provide a potentially objective measure for the study of emotions felt by listeners, and 2) an analytical technique that can account for how emotions change dynamically over time. Indeed, the lack of agreement among psychologists even about how to define emotion underscores the extraordinary methodological difficulties faced by those researchers involved in operationalizing and empirically testing the experience of emotions. A number of scholars studying music's effects on emotion have sidestepped this problem completely by suggesting that phenomenal experiences like music simply don't arouse emotions in listeners at all; instead, listeners merely recognize the emotions being expressed by the music. Known as the cognitivist position, this argument is at least partially the result of the prevalence in emotion research of subjective self-reports like adjective checklists, rating scales, and questionnaires (Sloboda \& Juslin, 2001), none of which can provide any objective evidence for the position that listeners feel emotion (known as the emotivist position).

In an effort to provide such an objective measure, psychologists over the past century have frequently appealed to the sudden changes of psychophysiological mechanisms such as heart rate or respiration as necessary components of felt emotion.

Because these mechanisms are mediated by the sympathetic nervous system, a branch of the autonomic nervous system responsible for reacting to sudden changes in the external environment, psychologists as early as the 1880's attempted to link measurable bodily responses with their concomitant emotions, even suggesting that bodily responses cause emotions, and not the other way around. ${ }^{1}$ Although scholars still disagree as to the actual role psychophysiological responses play in the experience of emotion, the application of these measures in emotion research remains a widespread method for inferring an objective emotional response in listeners.

While the difficulties relating to the objective measurement of emotions felt by listeners have a rich and well-documented history, the development of approaches to measure how emotions change dynamically over time, as well as to generate theories as to how these changes relate to a temporal phenomenal experience like music, has received little analytical treatment in the academic community until very recently. In the last twenty years, music scholars studying musical adopted statistical approaches related to forecasting in economics and meteorology as a way to correlate changes in musical/acoustic features with subjective measurements of tension and arousal. To this point, however, none of the studies adopting a time series analysis approach considered objective measures of emotion.

[^0]In the following study I attempt to fill the gap between objective measurement techniques and a time series analysis approach by applying a time series autoregressive model to the averaged psychophysiological responses of listeners as they listen to Romantic piano music. Using a time series model, I predict changes in psychophysiological responses by modeling changes in expressive performance features (dynamics, tempo variation) extracted from the acoustic stimuli.

## Background

Galvanic skin response (GSR), an electrodermal measure of psychologicallyinduced sweat gland activity, indexes a number of processes: namely activation, attention, and the affective intensity of the stimulus (Dawson et al, 2007). Indeed, one author has noted a linear correlation between increasing arousal and increasing electrodermal activity (EDA), which suggests EDA is a more pure measure of emotional intensity than any other psychophysiological measure (Rickard, 2004).

Psychophysiologists currently hold that GSRs represent "orienting responses" (ORs)— nearly automatic, defensive responses caused by a failure to predict change(s) in an external stimulus. ORs measured by GSR reflect the primary nature of emotions as action dispositions that are mediated by sympathetic activity preparing the organism for fight, flight, and other appropriate appetitive and defensive behaviors (Bradley \& Lang, 2007).

GSR is measured by passing a small current through a pair of electrodes placed on the surface of the medial or distal phalanges of the fingers. Upon perceiving audible or visible change(s) in the external environment, the eccrine (palmar) sweat glands increase sweat secretion, which is theorized to promote grasping behavior. The electrodes measure this increase in sweat gland activity as a decrease in electrical resistance, or as an increase in electrical conductivity. Of all the psychophysiological measures, skin conductance responses are the most reliable at indicating an objective change in the arousal of the listening individual (Rickard, 2004). It should therefore be conceivable to model changes in the musical stimuli in order to predict changes in the GSR profiles.

Very few studies have actually considered analyzing GSR data over the period of an entire excerpt as a time series, instead preferring to use GSRs to record transient emotional events such as chills (Craig, 2005; Guhn et al, 2007, Rickard, 2004). Gomez \& Danuser (2007) sought to determine the extent to which the relationships between musical features and experienced emotions correspond, using a number of physiological measures. They noted a linear correlation between tempo, accentuation, and rhythmic articulation with tonic arousal levels. They also reported a relationship between increases in sound intensity and increases in tonic arousal levels. However, they did not consider how musical features or physiological responses changed within
excerpts, instead comparing statistical differences in analyzed musical features and physiological measures across multiple excerpts varying in pleasantness and arousal.

One possible reason for the dearth of time series studies of electrodermal activity lies in a fundamental disagreement as to whether the sympathetic nervous system attenuates arousal levels. Figure 1 depicts the principal components of electrodermal activity. While the response latency, rise time, and amplitude of the response are all considered primary components of electrodermal activity, physiologists disagree as to the importance of half-recovery time. Edelberg (1972) has argued that variations in electrodermal activity are not the result of an on-off switch in the sympathetic nervous system, whereby the sympathetic nervous system activates an increase in sweat gland activity as a response to a change in an auditory stimulus, after which it simply deactivates, resulting in a gradual decrease in arousal levels; the body therefore doesn't control the rate or amount of decrease in arousal levels. Instead, Edelberg has suggested that both increases and decreases in autonomic arousal levels are regulated by the sympathetic nervous system. Results from a time series model of galvanic skin response should therefore provide evidence as to whether or not decreases in autonomic arousal (from the maximum to the minimum of a waveform) reflect a response to change (or a lack thereof) in the auditory stimulus. Positive results will suggest that such decreases provide evidence of physiological regulation, while negative results will provide evidence that the body does not control the rate or amount of decrease in arousal levels.

Although no study to date has considered a time series approach to physiological measurements within a musical excerpt, a number of studies have considered continuous behavioral measurements of tension, resemblance or emotional force, in which subjects move a slider in response to their own experience (Nielsen, 1987; McAdams et al, 2004; Schubert, 2001, 2004). Thimm \& Fischer (2003) extracted psychoacoustical features such as loudness and roughness from a number of musical stimuli, and compared each of these features independently with the real-time continuous behavioral ratings of arousal and valence provided by participants. Because both physiological and behavioral responses occur at a variable period of time after the onset of the musical features eliciting the reaction, the authors chose to compare the features to the behavioral ratings using cross-correlation to determine the appropriate time it takes to respond (referred to as lag). By using a cross-correlation technique, however, Thimm \& Fischer could not provide an estimate for the relative contribution of all of the multiple features to the arousal and valence ratings within a single excerpt.

Farbood (2006) proposed a quantitative parametric model of musical tension, in which she regressed tension profiles using musical features like harmonic tension and melodic expectation as predictors. ${ }^{2}$ Her multiple regression method indicated the relative salience of each measure over the entirety of each excerpt, but it could not

[^1]account for effects of serial correlation among all of the variables, one of the most serious difficulties time series analysis attempts to address. Emery Schubert (1999, 2001, 2002, 2004) was the first scholar to apply time series methods to music in order to rectify the problems associated with the regression modeling of continuous data.

Known as ordinary least squares (OLS) linear regression, a common statistical approach for determining the relationship between a dependent variable (behavioral or physiological data) and a number of independent variables (musical features) is to find a straight line (or surface if more than one musical feature) that best predicts the relationship. The line or surface approximates a hypothesized true relationship between musical features and the emotional response and is positioned so as to minimize the variability between the predicted relationship and the actual data points (Schubert, 1999). OLS regression can be written as:

$$
\mathrm{GSR}=\mathrm{b}_{0}+\mathrm{b}_{1} \times \mathrm{MF}_{1}+\mathrm{b}_{2} \times \mathrm{MF}_{2}+\ldots+\mathrm{e}_{\mathrm{t}}
$$

Each $b$ is a coefficient that measures the amount of increase or decrease in GSR for a one-unit increase in the musical feature. Each regression coefficient is therefore determined in such a way as to best explain variability in GSR. In a successful regression model, the error term $e_{t}$ will be small and will vary randomly. If the error term is too large and/or it doesn't vary randomly, the musical features implemented in the model don't adequately reflect changes in GSR, or there aren't enough musical features to represent the variations present in the musical stimulus. Unfortunately,
these properties of the error term are often the case in time series analysis, a problem often exacerbated by the presence of serial correlation.

Perhaps the greatest difficulty in applying OLS regression to musical stimuli is that it is necessary that every event in the sample is independent (or context-free): each individual event can be compared with musical features at the same moment without any regard for the events preceding the event under examination. Because a time series is a set of data points that are ordered in time, the introduction of time necessarily violates the assumption of independence in the OLS regression method. Musical context is in fact music theory's equivalent to serial correlation (or autocorrelation). Statistical techniques like OLS regression attempt to remove effects of serial correlation from experimental design in order to determine the true relationship between the dependent variable and the independent variable(s). If left unexamined, a regression model can falsely attribute a greater relationship between these variables, when in fact it is also being affected by past values of itself.

Figure 2 provides a typical example of the degree of serial correlation in a musical feature such as loudness. Serial correlation can be assessed with an autocorrelation function (ACF), a measure of the degree of correlation when a musical feature is compared against itself moved forward in time at a pre-determined number of lags (1 lag=. 5 s ). In this example, the first 3 lags (1.5s) are significantly serially correlated. Schubert explains that serial correlation may be thought of as memory.

When we reach a loud moment in the music, we won't simply respond to the absolute value of the event at that time, but to the degree of change between that event and the preceding events in time. Changes in musical features and emotional responses generally occur very gradually, providing a context in which listeners (and our model) predict(s) a specifically loud moment, not in terms of other features in the music, but in terms of the preceding few seconds (e.g., a crescendo). Autocorrelation acknowledges the effect of context, but OLS linear regression does not "know" this, and assumes that the high correlation of the features with the response is entirely related to the predictive power of the musical features, rather than to the preceding context (Schubert, 1999).

Given that serial correlation is a necessary effect of considering a temporal stimulus like music, Schubert employed two techniques for minimizing serial correlation without dismissing a time series approach altogether ${ }^{3}$. The first method applies a first order difference transformation to the time series of both the musical features and the emotion response (in our case GSR), where the difference between the current value of a series and the immediately preceding value is used to produce the current value of the series. The series $15,8,22,16$, for example, produces a difference series of $-7,14,-6$. A time series like music that can be understood, at least in part, as an additive process (adding previous values of itself) is described as a first order

[^2]integrated process. By removing the integrated component of a time series through differencing, we end up with a series that fluctuates more randomly than the original series, thereby removing some of the effects of serial correlation (Schubert, 1999). The other significant advantage in comparing the differenced time series over the integrated time series is that we are comparing the event to event change in each of the variables, rather than in the absolute values themselves.

The second approach to removing serial correlation is an autoregressive adjustment. When the error term of an OLS regression model doesn't vary randomly, either the musical features haven't adequately reflected the musical stimulus, or the error term is serially correlated. If differencing the variables still hasn't removed the effects of serial correlation in the error term, a common approach is to treat the error term as having two components-a true error component and a serially correlated component. A first order autoregressive model writes the error term as:

$$
e_{t}=a_{1} e_{t-1}+v_{t}
$$

where $\mathrm{e}_{\mathrm{t}-1}$ is the error term from the previous point in time and $\mathrm{v}_{\mathrm{t}}$ is a true random variable, as et was in the initial OLS regression model. The coefficient at indicates the proportion of the previous error term that is carried forward in the next point in time. In effect, the a coefficient indicates a type of serial correlation process known as first order autoregressive.

To account for effects of serial correlation in the musical features, the GSR profiles, and the error component of the model, I have applied a first order difference transformation to all of the variables and a first order autoregressive adjustment to the OLS multiple regression model. To best predict the GSR signal, I have modeled changes in expressive performance features (dynamics and tempo variation). Clarke (1999) has suggested that these features are important for conveying structural and emotional information to the listener, and several researchers have attempted to model the rule systems that govern expressive performance parameters (Todd, 1985; Palmer, 1996). Gomez and Danuser (2007) suggested that tempo and rhythmic articulation are the features most strongly correlated with psychophysiological measures, and a number of studies have noted a correlation between stimulus intensity and skin conductance response (Turpin \& Siddle, 1979; Guhn et al, 2007).

## Method

## Participants

20 participants (10 male) with more than 8 years of musical training participated in the experiment. The average age of the participants was $22 \pm 2.5$ years and the average number of years of musical training was $11 \pm 2.6$. The participants were screened for at least 8 years of musical training, no hearing loss, no history of any emotional or anxiety disorder, and finally a maximum of 4 years of piano training, in order to minimize the potential effects of familiarity on their physiological responses.

## Stimuli

To ensure that emotional responses not only varied within pieces, but just as crucially, between pieces, a pre-study was conducted to determine the degree of variation between pieces using the Russell valence/arousal space as a theoretical foundation. Russell's (1980) space is an example of a dimensional approach to the study of emotion, in which emotions are characterized by two orthogonal dimensions: pleasantness (valence), and arousal ${ }^{4}$. The dimensional approach provides a method by which to quantify differences between stimuli using behavioral responses. In the prestudy, 30 musicians ( 15 males), screened with the same conditions as the present experiment, listened to 40 Romantic piano excerpts that exhibited a small ternary structure (either ABA or AABAA) and lasted between 50 and 90 s . While listening, the participants indicated their valence of emotion and excitation/arousal on a seven point Likert-scale. Participants' responses for each scale were averaged over the four emotion quadrants and then the arousal and valence measures for each piece were analyzed using a k-means clustering solution. Shown in figure 3, 19 excerpts were finally chosen for the present experiment to optimally represent the four emotion quadrants and to minimize familiarity of the excerpts within each quadrant. For the time series analysis, 1 excerpt was selected from each of the 4 quadrants of the emotion space.

[^3]```
406 + valence, + arousal
108 + valence, - arousal
402 - valence, + arousal
304 - valence, - arousal
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See table 1 for details about these stimuli. For details about the experimental procedures used in acquiring the physiological data, see Mattson (2009).

In order to maintain the ecological validity of the stimuli, recordings were taken from acoustic performances (rather than using mechanical midi performances). Although such a decision reflects a desire to study the effects of "real" music on listeners, it also poses the significant challenge of extracting performance features from the acoustic signal. In order to derive loudness information directly from the audio file, I employed the Moore \& Glasberg (1997) model, an auditory filter model of the loudness of steady state sounds, measured in sones. As a psychoacoustic model, it attempts to account for the perceptual constraints of the human auditory system. Cabrera (1999) created a program implemented in Matlab that applies the Moore \& Glasberg model to 16 -bit, 44.1 kHz audio files. It analyzes the files in a succession of overlapping 93 ms windows and records the results as time series data.

To obtain tempo variation information, I employed Simon Dixon's BeatRoot software (2001), which provides a means of manually extracting the inter-onset-interval (IOI) at an experimenter-selected metrical level. Although his beat extraction algorithms are generally very reliable at automatically extracting tempo information (91\% accuracy across multiple styles), I manually extracted the IOI between beats, using his software
to facilitate data acquisition and analysis. The equation to compute tempo as beats per minute (bpm) as a time series can be written as:

$$
\mathrm{bpm}=\left(60^{*} \mathrm{~b}_{\mathrm{i}}\right) /\left(\mathrm{IOI}_{\mathrm{t}}-\mathrm{IOI}_{\mathrm{t}-1}\right)
$$

where $b_{i}$ represents the number of beats in a bar (for ex., common time would receive a score of 4), and $\mathrm{IOI}_{t}-\mathrm{IOI}_{t-1}$ refers to the IOI subtracted from the IOI that directly preceded it.

## Analysis

The task of adequately comparing time series of independent features (GSR, loudness in sones, tempo in bpm) is admittedly complex, since each feature was sampled at a different rate, and a number of different filtering methods are common to both GSR and psychoacoustic features like loudness. To further complicate matters, it's essential in a time series approach to minimize the sampling rate, as too high a sampling rate results in a spuriously high p value. ${ }^{5}$ In order to minimize this problem, a minimum alpha of .01 will be necessary to report significance, but the number of samples within a stimulus must still be carefully controlled.

To narrow the range of filtering possibilities, a common filtering method for GSR was applied to loudness. GSR signals measured at a sampling rate of 256 Hz were sent through a fourth-order Butterworth low-pass filter with a cutoff frequency of 0.3 Hz . The butterworth filter is ideal in a time series analysis because it is a maximally smooth

[^4]filter, providing the possibility to downsample GSR and loudness (originally sampled at 51 Hz ) without losing much information (i.e., it doesn't violate the Nyquist theorem). In the case of tempo, a filtering method wasn't necessary, since the sampling rate for each stimulus was very close to the final sampling rate selected for the final analysis.

After filtering, each of the features was resampled to 2 Hz and normalized to between 0-1. The normalized GSR time series for each participant were then averaged. As a last step in the pre-processing stage, each of the features were first-order differenced to minimize effects of serial correlation. Figure 4 provides an example of the processing stages for loudness in excerpt 108.

## Model

Before implementing the $1^{\text {st }}$-order Autoregressive model with $1^{\text {st }}$ order differenced features, one crucial obstacle still remains. The simplest regression model regresses a single musical feature to predict changes in the emotional response (GSR). However, changes in the musical features necessarily precede the onset of the physiological response. Galvanic skin response literature refers to the difference between the onset of the external stimulus and the onset of the physiological response response latency. Typically, the response latency lasts between 1-4 seconds (Dawson et al, 2007). Unfortunately, this latency, or lag, in the response, is variable rather than fixed. A more sudden increase in a salient external stimulus can decrease the latency between the initial event and the physiological response, and vice versa. Physiologists have yet
to find a quantitative relationship to predict the variability in the lag in physiological response.

The solution in time series analysis to the problem of lag is to move the time series for each feature forward at regular intervals for the length of time the latency window is expected to last. For example, the time series for loudness is moved forward 1 second, 2 seconds, 3 seconds, and 4 seconds, resulting in a total of 5 time series ( 5 variables) for loudness. The ensuing model therefore regresses 10 features against GSR, and the equation can be written as:

$$
\Delta \mathrm{GSR}=\mathrm{b}_{0}+\mathrm{b}_{1} \times \Delta \text { Loudness } 0+\mathrm{b}_{2} \times \Delta \text { Loudness } 1 \ldots+\mathrm{a}_{1} \mathrm{e}_{\mathrm{t}-1}+\mathrm{v}_{\mathrm{t}}
$$

where $\Delta$ indicates that the variable has been first order differenced, and Loudness ${ }_{0}$ indicates that the feature has not been moved forward. The coefficient a1 represents the autoregressive adjustment of the error term to minimize the effect of serial correlation.

There are a number of techniques for determining the order of entry of each of the predictor variables into the model. Because this analysis involves the application of 10 features (loudness, tempo, and 4 time series of each moved forward at 1, 2, 3, and 4 s), many of which will be excluded in the final model, stepwise regression was adopted because it automates the criteria for variable selection. Stepwise regression uses a predetermined criterion for selecting whether each of a list of variables should be included in, or excluded from, the final model (qtd. in Schubert, 1999). This process ultimately maximizes the goodness of fit $\left(\mathrm{R}^{2}\right)$ such that the model only includes
variables that significantly contribute to the fit of the model. The following model therefore attempts to predict changes in GSR by including all of the lagged time series for loudness and tempo, and allowing the algorithm to determine which of these features will make a significant contribution to explaining variability in GSR.

## Results

## 406 (+ valence, + arousal)

For the mean GSR response across all participants to Drei Klavierstücke, D 946, No. 1 in E flat minor by Franz Schubert, the 1st order Autoregressive model (AR1) was:

$$
\Delta \mathrm{GSR}=-.301 \times \Delta \text { Loud }_{0}+.289 \times \Delta \text { Loud }_{6}
$$

The coefficient for the first order autoregressive component of the model (AR1) was .892 , and all of the features listed in the model were statistically significant ( $\mathrm{p}<.001$ ). None of the other variables reached significance, and were excluded in the model by the stepwise regression algorithm. Figure 5 presents the model statistics generated by SPSS.

Approximately $81 \%$ of the variance was explained by the model. This unusually good fit suggests that the model successfully explains changing GSR in terms of loudness. The negative sign for loudnesso indicates that as loudness decreased, GSR increased. Conversely, as Loudness6 (sampled at 2Hz, a lag of $6=3$ seconds), increased, GSR increased 3 seconds later.

To determine if the $\operatorname{AR}(1)$ model successfully removed effects of serial correlation from the model, an autocorrelation of the residual (the error term) was
performed. Unfortunately, the $\operatorname{AR}(1)$ did not remove all effects of serial correlation, as is indicated in figure 6. Although the model explains changing GSR in terms of loudness (lag 0 and 3 ) and a first order autoregressive process, its validity is still compromised by the presence of serial correlation.

## 108 (+ valence, - arousal)

For the mean GSR response across all participants to Lyriske Stykker, Vol. 1, Op. 12, No. 1, Arietta by Edvard Grieg, the 1st order Autoregressive model (AR1) revealed no significant results for any of the entered features. According to the model, variations in tempo and loudness had no effect in explaining the within-excerpt variance in GSR.

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402 (- valence, + arousal)
```

For the mean GSR response across all participants to 8 Piano Pieces, Op.76, No. 5, Capriccio in C sharp minor, by Johannes Brahms, the 1st order Autoregressive model was:

$$
\Delta \mathrm{GSR}=.260 \times \Delta \text { Loud }_{6}
$$

The coefficient for the first order autoregressive component of the model (AR1) was .824 , and Loud6 was statistically significant ( $\mathrm{p}=.007$ ). None of the other variables reached significance, and were excluded in the model by the stepwise regression algorithm. Figure 7 presents the model statistics generated by SPSS.

Approximately $79.7 \%$ of the variance was explained by the model. In this model, as loudness increased, GSR increased 3 seconds later. However, like the previous
models, an ACF performed on the residual of the $\operatorname{AR}(1)$ model revealed significant effects of serial correlation at lags 1,3, and 4, thereby compromising the validity of the model.

304 (- valence, - arousal)

For the mean GSR response across all participants to Etudes symphoniques, Op. 13, Thema, by Robert Schumann, the 1st order Autoregressive model was:

$$
\Delta \mathrm{GSR}=-.139 \times \Delta \text { Tempo }_{2}+{ }^{*}-.107 \times \Delta \text { Tempo }^{2}+{ }^{*}-.137 \times \Delta \text { Loud }_{4} 6
$$

The coefficient for the first order autoregressive component of the model (AR1) was .792, and Tempor was statistically significant ( $\mathrm{p}=.003$ ). Two of the other variables reached marginal significance: Tempos $(\mathrm{p}=.019)$ and $\operatorname{Loud}_{4}(\mathrm{p}=.043)$. None of the other variables reached significance, and were excluded in the model by the stepwise regression algorithm. Figure 9 presents the model statistics generated by SPSS.

Approximately $72.2 \%$ of the variance was explained by the model. In this model, as tempo decreased, GSR increased 1 second later and 4 seconds later. However, like the previous models, an ACF performed on the residual of the AR(1) model revealed significant effects of serial correlation at lags 1,3, and 4, thereby compromising the validity of the model.

[^5]
## Discussion

For 3 of the 4 excerpts, a $1^{\text {st }}$ order Autoregressive model found significant effects of loudness and tempo on GSR, a finding which supports prior work concerning the effect of performance variables on both behavioral (Schubert, 2001; Farbood, 2006) and physiological (Gomez \& Danuser, 2007) responses. However, the failure to sufficiently remove effects of serial correlation reduces the model's validity.

Consider a plot of the residual for the $\operatorname{AR}(1)$ model of 108 , shown in figure 11. In a successful regression model, the time series produced from the residual (proportion of the variance the model could not account for) should demonstrate no serial correlation; in effect, every data point in the series should be random. In the case of the residual in 108, and for all of the excerpts, these residual time series are still somewhat serial correlated (see figures 6, 8, and 10). The most likely explanation for the continued presence of serial correlation is that the variables of loudness and tempo do not adequately represent the amount of variation within the musical excerpts that could be eliciting a change in GSR. The time series shown in figure 11 could be explained by changes in a number of other features such as harmony, melody, onset density, etc. In order to remove serial correlation, a future model needs to quantify other aspects of the music to more adequately represent the multidimensional nature of the musical stimulus.

This criticism of the model should not diminish the significant role performances variables play in physiological responses, however. Although modeling the within-excerpt variance in GSR is an extraordinarily difficult task, particularly when only considering the variables of loudness and tempo, an analysis of the betweenexcerpt variance in GSR reveals the significance of these two features in physiological responses. Figure 12 provides a correlation matrix of the average loudness, tempo, GSR, and heart rate (HR) across all 19 excerpts. The matrix reveals significant effects of loudness with GSR ( $\mathrm{r}=.755, \mathrm{p}<.0001$ ) and $\operatorname{HR}(\mathrm{r}=.706, \mathrm{p}=.001)$, and tempo with GSR ( $\mathrm{r}=.622, \mathrm{p}=.004$ ) and $\operatorname{HR}(\mathrm{r}=.601, \mathrm{p}=.006)$. These data indicate that as GSR and HR increase between pieces, both loudness and tempo increase significantly.

From between-excerpt analyses, the effect of performance features on the physiological responses of listeners is unambiguous. However, the application of time series analysis on physiological response data is less transparent, as the number of factors both intrinsic and extrinsic to the music that can account for variation in physiological responses over the course of a short period of time is extraordinarily difficult to control, quantify, and model. Although the continued presence of serial correlation in this model should provide cause for concern, it most likely points to the failure of these 2 features to adequately represent variation in the musical stimulus, rather than to the failure of time series analysis as a tool for analyzing the temporal dynamics of musical listening.


Figure 1—Dawson et al, 2007, pg. 165



Autocorrelations

| Lag | Autocorrelati on | Std. Error ${ }^{\text {a }}$ | Box-Ljung Statistic |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Value | df | Sig. ${ }^{\text {b }}$ |
| 1 | . 912 | . 096 | 90.738 | 1 | . 000 |
| 2 | . 682 | . 095 | 142.002 | 2 | . 000 |
| 3 | . 392 | . 095 | 159.078 | 3 | . 000 |
| 4 | . 133 | . 094 | 161.069 | 4 | . 000 |
| 5 | -. 027 | . 094 | 161.155 | 5 | . 000 |
| 6 | -. 070 | . 093 | 161.714 | 6 | . 000 |
| 7 | -. 019 | . 093 | 161.755 | 7 | . 000 |
| 8 | . 075 | . 093 | 162.413 | 8 | . 000 |
| 9 | . 159 | . 092 | 165.415 | 9 | . 000 |
| 10 | . 201 | . 092 | 170.223 | 10 | . 000 |

a. The underlying process assumed is independence (white noise).
b. Based on the asymptotic chi-square approximation.

Figure 2-The top left graph is a plot of normalized loudness in sones for excerpt 108. The table to the right represents the degree of auto-correlation at each lag, where each $\operatorname{lag}=.5 \mathrm{~s}$. The figure in the bottom left is a plot of the auto-correlation function. In this example, the first 3 lags are significantly autocorrelated.


Figure 3. Kmeans clustering solution for the valence and arousal ratings of the excerpts in the pre-study. The excerpt points are color coded to indicate those that best represent each emotion quadrant as determined by the kmeans technique. The green bars indicate the center of each clustering per quadrant as determined by the kmeans technique. The red circles isolate each of the 4 stimuli examined in the present analysis.
\(\left.$$
\begin{array}{|l|l|l|l|l|}\hline \text { Code } & \text { Composer } & \text { Piece \& CD } & \text { Form } & \text { Duration } \\
\hline 406(+,+) & \text { Franz Schubert } & \begin{array}{l}\text { Drei Klavierstücke, D 946, } \\
\text { No. 1 in E flat minor } \\
\text { Harmonic Records, } \\
\text { H/CD 8610 } \\
\text { Paul Badura-Skoda, 1986 }\end{array} & \text { a a b a a } & 0: 52 \\
& & \text { Edvard Grieg } & \begin{array}{l}\text { Lyriske Stykker, Vol. 1, Op. } \\
\text { 12, No. 1, Arietta } \\
\text { Victoria VCD 19025 } \\
\text { Geir Henning Braaten, 1990 }\end{array}
$$ \& a a b a a <br>

\hline 108(+,-) \& \& A: 0:41.49\end{array}\right]\)| fade out |
| :--- |
|  |

Table 1-The 4 excerpts used in the time series analysis.




Figure 4-Comparison of loudness in raw scores with loudness with a Butterworth $4^{\text {th }}$ order low-pass filter, resampled from 51 Hz to 2 Hz , and range normalized ( $0-1$ ), and loudness after applying a $1^{\text {st}}$-order difference transformation.

Figure 5-406 AR(1) Model

Model Description

| Model Name <br> Dependent Series |  | 406 |
| :---: | :---: | :---: |
|  |  | gsr |
| Independent | 1 | loud |
| Series | 2 | tempo |
|  | 3 | LAGS(loud,2) |
|  | 4 | LAGS(tempo,2) |
|  | 5 | LAGS(loud,4) |
|  | 6 | LAGS(loud,6) |
|  | 7 | LAGS(loud,8) |
|  | 8 | LAGS(tempo,4) |
|  | 9 | LAGS(tempo,6) |
|  | 10 | LAGS(tempo,8) |
| Constant |  | Included |
| AR |  |  |

Applying the model specifications from MOD_16
This table indicates the order of entries
determined by the stepwise regression algorithm.

Parameter Estimates

|  |  | Estimat es | $\begin{aligned} & \text { Std } \\ & \text { Error } \end{aligned}$ | t | Approx Sig |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Rho (AR1) |  | . 892 | . 050 | 17.936 | . 000 |
| Regression | loud | -. 301 | . 088 | -3.434 | . 001 |
| Coefficients | tempo | -. 001 | . 018 | -. 059 | . 953 |
|  | LAGS(loud ,2) | . 102 | . 078 | 1.300 | . 197 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,2) } \end{aligned}$ | -. 004 | . 022 | -. 189 | . 850 |
|  | LAGS(loud ,4) | -. 085 | . 096 | -. 881 | . 381 |
|  | LAGS(loud ,6) | . 289 | . 078 | 3.686 | . 000 |
|  | LAGS(loud ,8) | -. 004 | . 085 | -. 049 | . 961 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,4) } \end{aligned}$ | -. 014 | . 024 | -. 599 | . 551 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,6) } \end{aligned}$ | -. 012 | . 022 | -. 549 | . 585 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,8) } \end{aligned}$ | . 000 | . 018 | -. 009 | . 993 |
| Constant |  | . 005 | . 022 | . 241 | . 810 |

Iteration History

|  |  | Regression Coefficients |  |  |  |  |  |  |  |  |  |  | Adjuste <br> d Sum <br> of <br> Square <br> s | Marqua <br> rdt Consta nt |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Rho <br> (AR1) | loud | $\left\|\begin{array}{c} \text { temp } \\ 0 \end{array}\right\|$ | LAGS(I | LAGS(t <br> empo,2 <br> ) |  | LAGS(I | LAGS(I | LAGS(t <br> empo,4 <br> ) | LAGS(t <br> empo,6 <br> ) | LAGS(t <br> empo,8 <br> ) |  |  |  |
| 0 | . 000 | -. 341 | . 053 | . 137 | . 026 | -. 084 | . 350 | . 018 | -. 054 | -. 076 | -. 041 | . 003 | . 201 | 001 |
|  | . 870 | -. 301 | . 000 | . 103 | -. 004 | -. 084 | . 290 | -. 005 | -. 015 | -. 012 | . 000 | . 005 | . 048 | . 001 |
| 2 | . 891 | -. 301 | -. 001 | . 102 | -. 004 | -. 085 | . 289 | -. 004 | -. 014 | -. 012 | . 000 | . 005 | . $048{ }^{\text {a }}$ | . 000 |

a. The estimation terminated at this iteration, because the sum of squares decreased by less than $.001 \%$.

Variables Entered/Removed ${ }^{\text {b }}$

| Model | Variables <br> Entered | Variables <br> Removed | Method |
| :--- | :--- | :--- | :--- |
| 1 | Fit for gsr <br> from AREG, <br> MOD 1a |  |  |

a. All requested variables entered.
b. Dependent Variable: gsr

The AR Model 1 was entered into an OLS linear regression model to determine the R ${ }^{2}$, which indicates the AR 1 Model accounted for $81.1 \%$ of the variance in GSR.

## Autocorrelations

| Lag | Autocorrelati on | Std. Error ${ }^{\text {a }}$ | Box-Ljung Statistic |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Value | df | Sig. ${ }^{\text {b }}$ |
| 1 | . 603 | . 102 | 34.928 | 1 | . 000 |
| 2 | . 109 | . 101 | 36.089 | 2 | . 000 |
| 3 | -. 222 | . 101 | 40.922 | 3 | . 000 |
| 4 | -. 275 | . 100 | 48.442 | 4 | . 000 |
| 5 | -. 231 | . 100 | 53.817 | 5 | . 000 |
| 6 | -. 224 | . 099 | 58.901 | 6 | . 000 |
| 7 | -. 213 | . 099 | 63.543 | 7 | . 000 |
| 8 | -. 151 | . 098 | 65.913 | 8 | . 000 |
| 9 | -. 058 | . 098 | 66.272 | 9 | . 000 |
| 10 | . 010 | . 097 | 66.284 | 10 | . 000 |


a. The underlying process assumed is independence (white noise).
b. Based on the asymptotic chi-square approximation.

Figure 6-An ACF of the residual of the AR(1) model indicates that, though serial correlation has been dramatically reduced, effects of serial correlation are still present in the model at lag 1 and marginally at lag 4.

Parameter Estimates
Figure 7-402 AR(1) Model
Model Description

| Model Name |  | 402 |
| :--- | :--- | :--- |
| Dependent Series | gsr |  |
| Independent | 1 |  |
| Series | 2 | loud |
|  | 3 | tempo |
|  | 4 | LAGS(loud,2) |
|  | 5 | LAGS(tempo,2) |
|  | 6 | LAGS(loud,4) |
|  | 7 | LAGS(loud,6) |
|  | 8 | LAGS(loud,8) |
|  | 10 | LAGS(tempo,4) |
| Constant |  | LAGS(tempo,6) |
| AR |  |  |

The table above indicates the order of entry determined by the stepwise regression algorithm.

|  |  | $\begin{gathered} \text { Estimat } \\ \text { es } \end{gathered}$ | Std <br> Error | t | Approx Sig |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Rho (AR1) |  | . 825 | . 048 | 17.097 | . 000 |
| Regression | loud | -. 106 | . 103 | -1.033 | . 304 |
| Coefficients | tempo | -. 027 | . 041 | $-.663$ | . 509 |
|  | LAGS(loud ,2) | -. 145 | . 101 | -1.427 | . 156 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,2) } \end{aligned}$ | -. 024 | . 042 | -. 573 | . 568 |
|  | LAGS(loud ,4) | . 033 | . 122 | . 268 | . 789 |
|  | LAGS(loud ,6) | . 260 | . 095 | 2.737 | . 007 |
|  | LAGS(loud (8) | . 233 | . 102 | 2.289 | . 024 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,4) } \end{aligned}$ | . 002 | . 045 | . 040 | . 968 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,6) } \end{aligned}$ | -. 054 | . 044 | -1.224 | . 223 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,8) } \end{aligned}$ | . 039 | . 043 | . 904 | . 368 |
| Constant |  | -. 003 | . 012 | -. 237 | . 813 |

Iteration History

|  |  | Regression Coefficients |  |  |  |  |  |  |  |  |  |  | Adjuste <br> d Sum <br> of <br> Square <br> s | Marqua <br> rdt <br> Consta <br> nt |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Rho <br> (AR1) | loud | $\begin{array}{\|c\|} \text { temp } \\ 0 \\ \hline \end{array}$ | $\begin{array}{\|l\|l\|l\|l\|l\|l\|l\|l\|} \hline \text { oud,2) } \end{array}$ | LAGS(t <br> empo,2 <br> ) | $\begin{aligned} & \text { LAGS(I } \\ & \text { oud,4) } \\ & \hline \end{aligned}$ | LAGS(I <br> oud,6) | LAGS( <br> oud,8) | LAGS(t <br> empo,4 <br> ) | LAGS(t <br> empo,6 <br> ) | LAGS(t <br> empo,8 <br> ) |  |  |  |
| 0 | . 000 | . 028 | -. 001 | -. 214 | -. 044 | . 233 | . 197 | . 463 | . 004 | -. 102 | . 037 | -. 004 | . 240 | . 001 |
| 1 | . 790 | -. 096 | -. 027 | -. 141 | -. 025 | . 047 | . 266 | . 247 | . 003 | -. 055 | . 040 | -. 003 | . 082 | . 001 |
| 2 | . 821 | -. 105 | -. 027 | -. 144 | -. 024 | . 034 | . 261 | . 234 | . 002 | -. 054 | . 039 | -. 003 | . 082 | . 000 |
| 3 | . 824 | -. 106 | -. 027 | -. 145 | -. 024 | . 033 | . 260 | . 233 | . 002 | -. 054 | . 039 | -. 003 | . $082^{\text {a }}$ | . 000 |


| Model | Variables <br> Entered | Variables <br> Removed | Method |
| :--- | :--- | :--- | :--- |
| 1 | Fit for gsr <br> from AREG, <br> MOD_12 |  |  |

a. All requested variables entered.
b. Dependent Variable: gsr

a. Predictors: (Constant), Fit for gsr from AREG, 402

AR 402 was entered into an OLS linear regression model to determine the $\mathrm{R}^{2}$, which indicates the AR 1 Model accounted for $79.7 \%$ of the variance in GSR.

## Autocorrelations

Series:Residual

| Lag | Autocorrelati <br> on | Std. Error ${ }^{\text {a }}$ | Box-Ljung Statistic |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Value | df | Sig. ${ }^{\text {b }}$ |
| 1 | . 554 | . 084 | 43.260 | 1 | . 000 |
| 2 | -. 060 | . 084 | 43.764 | 2 | . 000 |
| 3 | -. 406 | . 084 | 67.403 | 3 | . 000 |
| 4 | -. 376 | . 083 | 87.799 | 4 | . 000 |
| 5 | -. 101 | . 083 | 89.280 | 5 | . 000 |
| 6 | . 106 | . 083 | 90.935 | 6 | . 000 |
| 7 | . 123 | . 082 | 93.149 | 7 | . 000 |
| 8 | . 027 | . 082 | 93.255 | 8 | . 000 |
| 9 | -. 100 | . 082 | 94.763 | 9 | . 000 |
| 10 | -. 164 | . 081 | 98.822 | 10 | . 000 |


a. The underlying process assumed is independence (white noise).
b. Based on the asymptotic chi-square
approximation.
Figure 8-An ACF of the residual of the $\operatorname{AR}(1)$ model indicates that, though serial correlation has been dramatically reduced, effects of serial correlation are still present in the model at lag 1,3 and 4.

Figure 9-304 AR(1) Model

| Model Description |  |
| :---: | :---: |
| Model Name | 304 |
| Dependent Series | gsr |
| Independent 1 | loud |
| Series 2 | tempo |
| 3 | LAGS(loud,2) |
| 4 | LAGS(tempo,2) |
| 5 | LAGS(loud,4) |
| 6 | LAGS(loud,6) |
| 7 | LAGS(loud,8) |
| 8 | LAGS(tempo,4) |
| 9 | LAGS(tempo,6) |
| 10 | LAGS(tempo,8) |
| Constant | Included |
| AR |  |

Applying the model specifications from MOD_8

The table above indicates the order of entry determined by the stepwise regression algorithm.

Parameter Estimates

|  |  | Estimat es | Std <br> Error | t | Approx Sig |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Rho (AR1) <br> Regression <br> Coefficients |  | . 792 | . 059 | 13.407 | . 000 |
|  | loud | -. 051 | . 057 | -. 889 | . 376 |
|  | tempo | -. 016 | . 044 | -. 376 | . 707 |
|  | LAGS(loud <br> ,2) | . 060 | . 056 | 1.056 | . 293 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,2) } \end{aligned}$ | -. 139 | . 046 | -2.997 | . 003 |
|  | LAGS(loud ,4) | -. 137 | . 067 | -2.046 | . 043 |
|  | LAGS(loud (6) | . 074 | . 058 | 1.278 | . 204 |
|  | LAGS(loud ,8) | . 050 | . 059 | . 853 | . 395 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,4) } \end{aligned}$ | . 017 | . 047 | . 365 | . 716 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,6) } \end{aligned}$ | . 019 | . 047 | . 393 | . 695 |
|  | $\begin{aligned} & \text { LAGS(tem } \\ & \text { po,8) } \end{aligned}$ | -. 107 | . 045 | $-2.385$ | . 019 |
| Constant |  | . 000 | . 009 | -. 105 | . 917 |

Iteration History

|  | Rho (AR1) | Regression Coefficients |  |  |  |  |  |  |  |  |  |  | Adjuste <br> d Sum <br> of <br> Square <br> s | Marqua <br> rdt <br> Consta <br> nt |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | loud | $\left\|\begin{array}{c} \text { temp } \\ 0 \end{array}\right\|$ | $\begin{gathered} \text { LAGS(I } \\ \text { oud,2) } \end{gathered}$ | LAGS(t <br> empo,2 <br> ) | $\left\|\begin{array}{c} \text { LAGS(I } \\ \text { oud,4) } \end{array}\right\|$ | LAGS(I <br> oud,6) |  | LAGS(t <br> empo,4 <br> ) | LAGS(t <br> empo,6 <br> ) | LAGS(t <br> empo,8 <br> ) |  |  |  |
| 0 | . 000 | -. 051 | . 040 | . 091 | -. 166 | -. 123 | . 109 | . 074 | -. 011 | -. 014 | -. 187 | . 000 | . 105 | . 001 |
| 1 | . 777 | -. 051 | -. 016 | . 060 | -. 139 | -. 136 | . 075 | . 051 | . 016 | . 017 | -. 109 | . 000 | . 040 | . 001 |
| 2 | . 792 | -. 051 | -. 016 | . 060 | -. 139 | -. 137 | . 074 | . 050 | . 017 | . 019 | -. 107 | . 000 | . $040{ }^{\text {a }}$ | . 000 |

a. The estimation terminated at this iteration, because the sum of squares decreased by less than $.001 \%$.
Variables Entered/Removed ${ }^{\text {b }}$

| Model | Variables <br> Entered | Variables <br> Removed | Method |
| :--- | :--- | :--- | :--- |
| 1 | Fit for gsr <br> from AREG, <br> $304^{\mathrm{a}}$ |  |  |

a. All requested variables entered.
b. Dependent Variable: gsr

| Model Summary |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: |
| Model R | R <br> Square | Adjusted R <br> Square | Std. Error of <br> the Estimate |  |
| 1 | $.851^{\mathrm{a}}$ | .724 | .722 | .018812665 <br> 828458 |

a. Predictors: (Constant), Fit for gsr from AREG, 304

AR 304 was entered into an OLS linear regression model to determine the $\mathrm{R}^{2}$, which indicates the AR 1 Model accounted for $72.2 \%$ of the variance in GSR.

## Autocorrelations

Series:Residual

| Lag | Autocorrelati on | Std. Error ${ }^{\text {a }}$ | Box-Ljung Statistic |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Value | df | Sig. ${ }^{\text {b }}$ |
| 1 | . 531 | . 092 | 33.333 | 1 | . 000 |
| 2 | -. 080 | . 092 | 34.087 | 2 | . 000 |
| 3 | -. 436 | . 091 | 56.921 | 3 | . 000 |
| 4 | -. 423 | . 091 | 78.576 | 4 | . 000 |
| 5 | -. 201 | . 090 | 83.500 | 5 | . 000 |
| 6 | . 065 | . 090 | 84.016 | 6 | . 000 |
| 7 | . 222 | . 090 | 90.159 | 7 | . 000 |
| 8 | . 194 | . 089 | 94.874 | 8 | . 000 |
| 9 | . 048 | . 089 | 95.169 | 9 | . 000 |
| 10 | -. 104 | . 088 | 96.553 | 10 | . 000 |


a. The underlying process assumed is independence (white
noise).
b. Based on the asymptotic chi-square approximation.

Figure $10-\mathrm{An} \mathrm{ACF}$ of the residual of the $\mathrm{AR}(1)$ model indicates that, though serial correlation has been dramatically reduced, effects of serial correlation are still present in the model at lag 1,3 and 4.


Figure 11—Plot of the residual for the $\operatorname{AR}(1)$ Model of 108. This time series represents the proportion of the variance not accounted for by the model. An ACF of this time series revealed autocorrelation at lags 1 and 2.

*. Correlation is significant at the 0.05 level ( 2 -tailed).
**. Correlation is significant at the 0.01 level ( 2 -tailed).
Figure 12-A correlation matrix for the mean values of loudness, tempo, GSR, and HR across all 19 excerpts.

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[^0]:    ${ }^{1}$ Known as the James-Lange theory of emotion, William James claimed that physiological responses produce emotions (Sloboda \& Juslin, 2001)

[^1]:    ${ }^{2}$ Devised by Fred Lerdahl and Elizabeth Margulis, respectively, both harmonic Tension and melodic expectation attempt to quantify changes in perceived tension or expectation based on music-theoretical rules concerning tonality (i.e., effects of modulation and chromaticism on perceived tension). See Lerdahl (1988) \& Margulis (2005) for more details.

[^2]:    ${ }^{3}$ Many scholars in music research often resolve the problem of serial correlation by simply extracting the events under examination from the music and submitting them to statistical tests without regard for the context in which those events took place. Schubert explains that this method isn't ecologically valid.

[^3]:    ${ }^{4}$ This is not to suggest that researchers haven't considered a greater number of axes in the study of emotion. The first dimensional approach, adopted by Spencer in 1890, employed 3 dimensions: valence, arousal, and potency. (Sloboda \& Juslin, 2001)

[^4]:    ${ }^{5}$ In any parametric statistical measure, the larger the N , the higher the likelihood of obtaining a p value below 05.

[^5]:    ${ }^{6}$ * denotes marginal significance.

